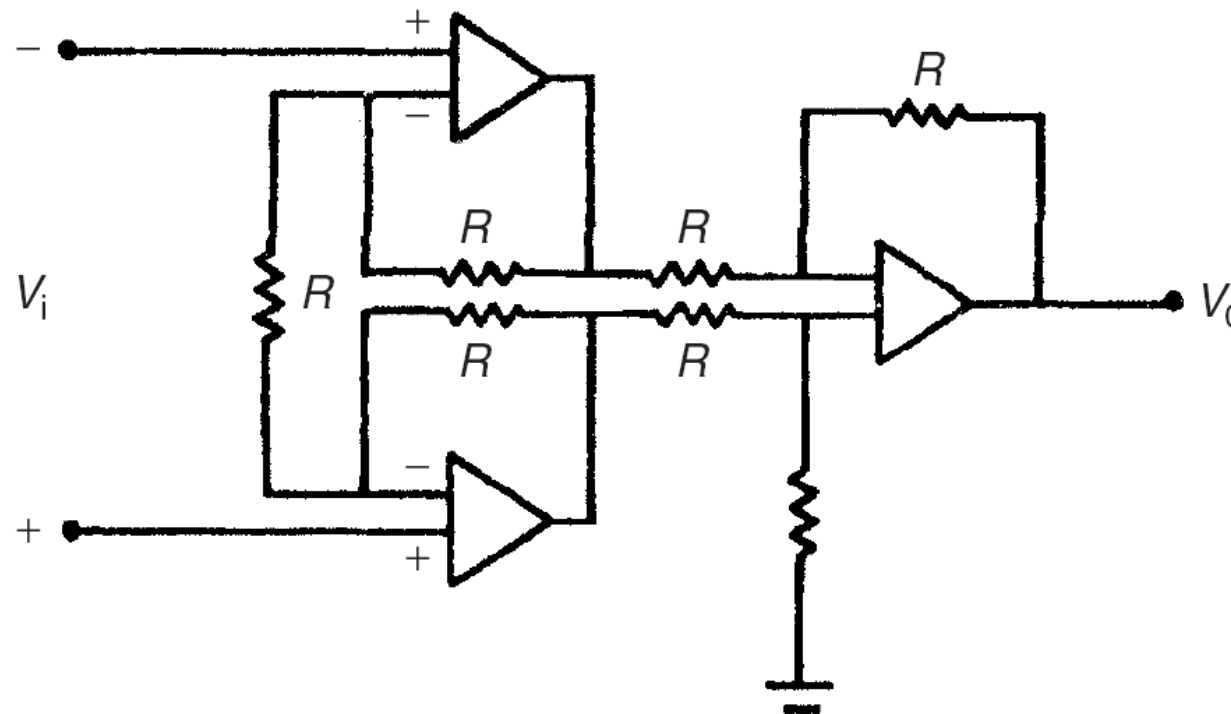


Instrumentation Amplifier

For some applications requiring the amplification of very low level signals, a special type of amplifier known as an instrumentation amplifier is used.



Signal Processing

- 1. Signal filtering**
- 2. Signal amplification**
- 3. Signal attenuation**
- 4. Signal linearization and**
- 5. Bias removal.**



Analog Signal Filtering (1)

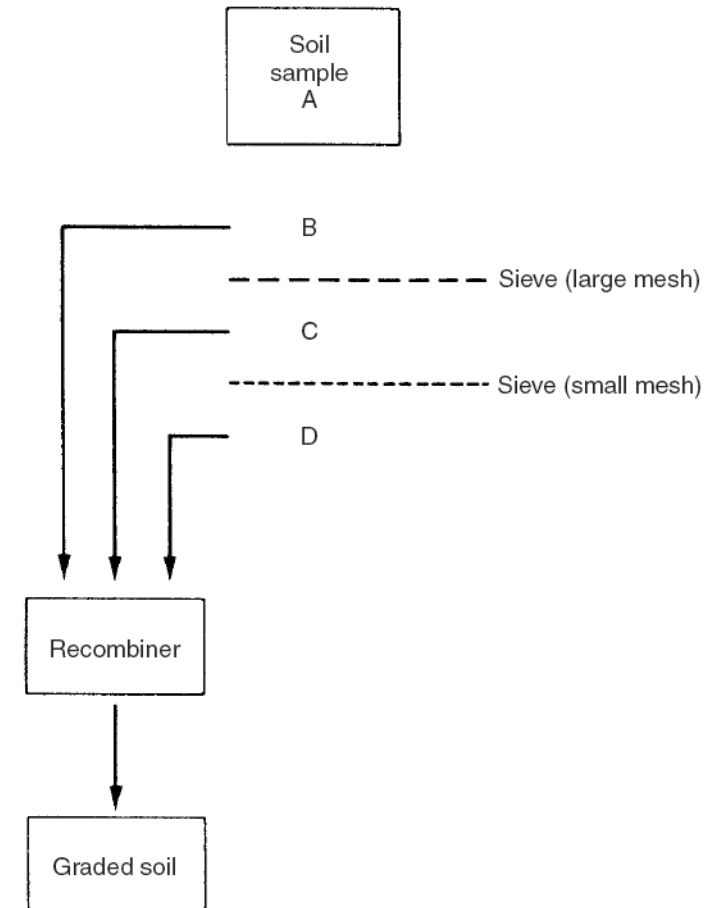
Signal filtering consists of processing a signal to remove a certain band of frequencies within it. The band of frequencies removed can be either at:

1. Low-frequency end of the frequency spectrum (Low-Pass filter)
2. At the high-frequency end (High-Pass filter)
3. In the middle of the spectrum (band-pass filters and band-stop filters - also known as notch filters)



Analog Signal Filtering (2)

- C+D** → **Low-Pass filter**
- B+C** → **High-Pass filter**
- C** → **Band-Pass filter**
- B+D** → **Band-stop or notch filter**



Analog Signal Filtering (3)

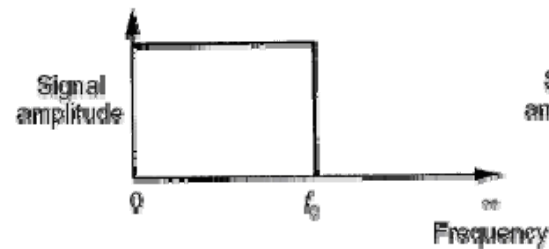
- ❑ The range of frequencies passed by a filter is known as the pass band
- ❑ The range not passed is known as the stop-band
- ❑ The boundary between the two ranges is known as the cut-off frequency.



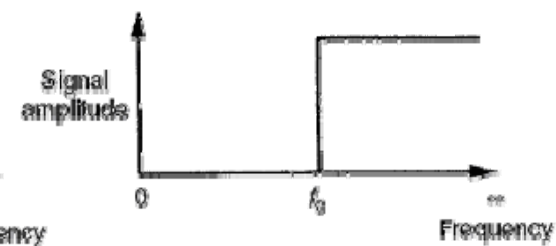
Characteristics of Ideal Filter



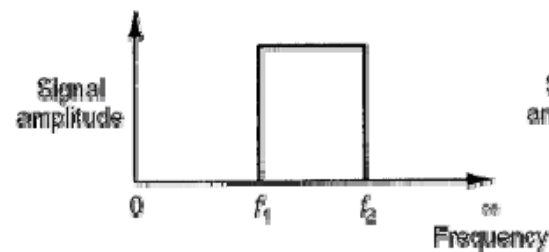
(a) Raw signal



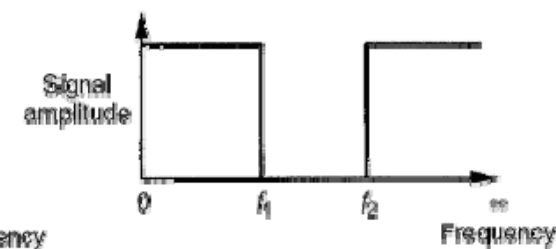
(b) Low-pass filter



(c) High-pass filter



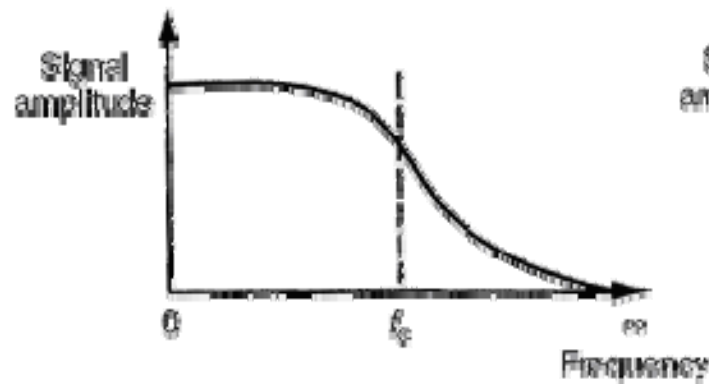
(d) Band-pass filter



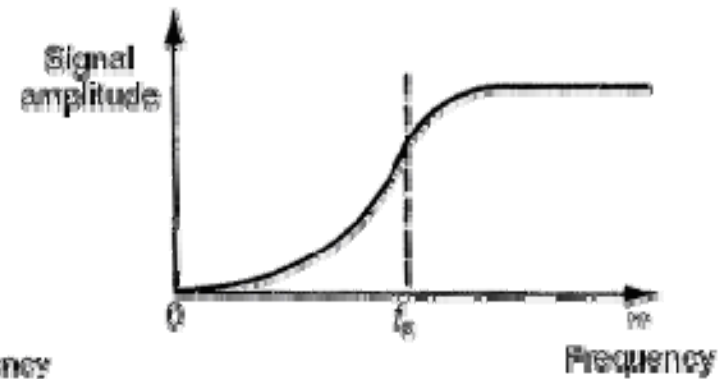
(e) Band-stop filter



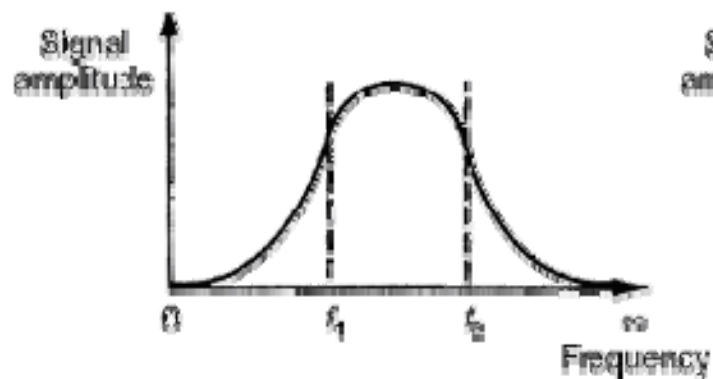
Characteristics of Actual Filter



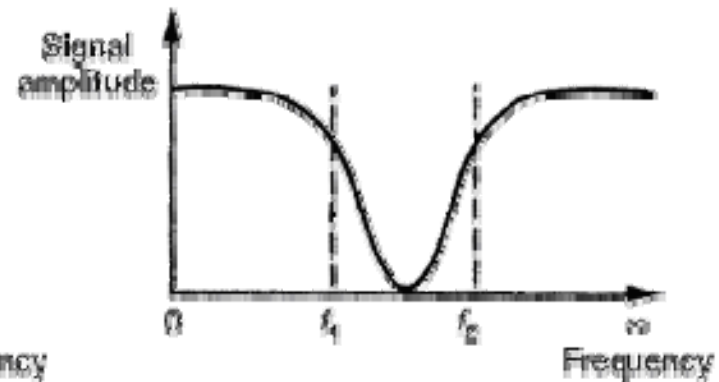
(a) Low-pass filter



(b) High-pass filter

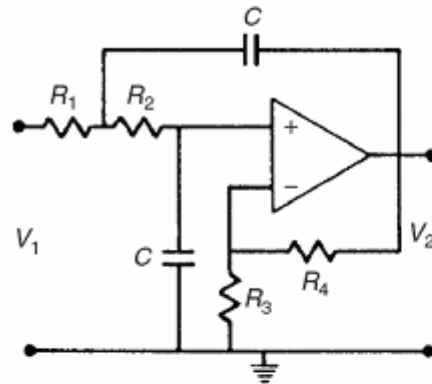


(c) Band-pass filter

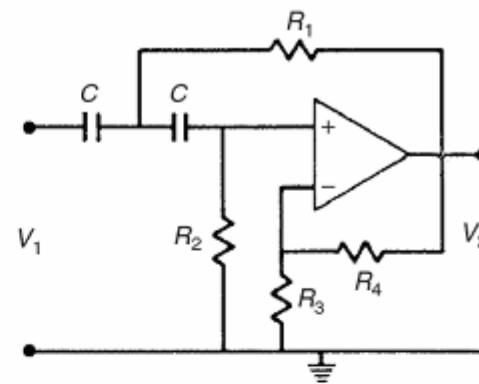


(d) Band-stop filter

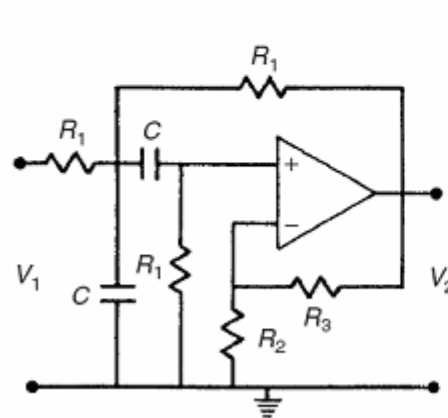
Active Analogue Filters (1)



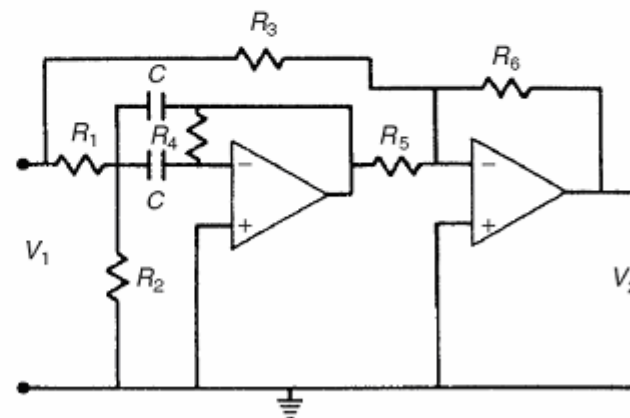
(a) Low-pass filter



(b) High-pass filter



(c) Band-pass filter



(d) Band-stop filter



Active Analogue Filters (2)

(a) *Low-pass filter*

$$\omega_0 = \sqrt{\frac{1}{R_1 R_2 C_1 C_2}}$$

$$G = 1 + (R_4/R_3)$$

where ω_0 is the cut-off frequency and G is the filter gain (at d.c.).

(c) *Band-pass filter*

$$\omega_0 = \frac{\sqrt{2}}{R_1 C}$$

$$\omega_1 = \omega_0 - \frac{4 - G}{2R_1 C}$$

$$\omega_2 = \omega_0 + \frac{4 - G}{2R_1 C}$$

G = filter gain (at frequency ω_0)
 $= 1 + R_3/R_2$ where ω_1 and ω_2
 are frequencies at ends of the
 pass-band, and ω_0 is centre
 frequency of the pass-band.

(b) *High-pass filter*

$$\omega_0 = \sqrt{\frac{1}{R_1 R_2 C_1 C_2}}$$

$$G = 1 + (R_4/R_3)$$

where ω_0 is the cut-off frequency and G
 is the filter gain (at infinite frequency).

(d) *Band-stop filter*

$$\omega_0 = \sqrt{\frac{1}{R_4 C^2} \left(\frac{1}{R_1} + \frac{1}{R_2} \right)}$$

$$\omega_1 = \omega_0 - \frac{1}{R_4 C}$$

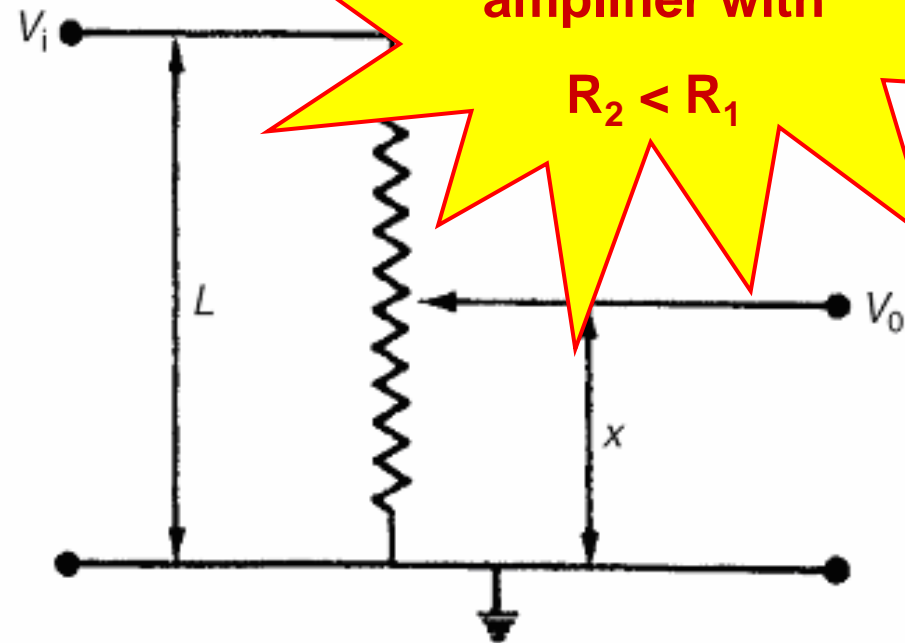
$$\omega_2 = \omega_0 + \frac{1}{R_4 C}$$

G = filter gain (at d.c. and also high
 frequency) $= -R_6/R_3$ where ω_1 and ω_2
 are frequencies at ends of the
 stop-band, and ω_0 is centre frequency
 of the stop-band.



Signal Attenuation

$$V_o = \frac{x \cdot V_i}{L}$$



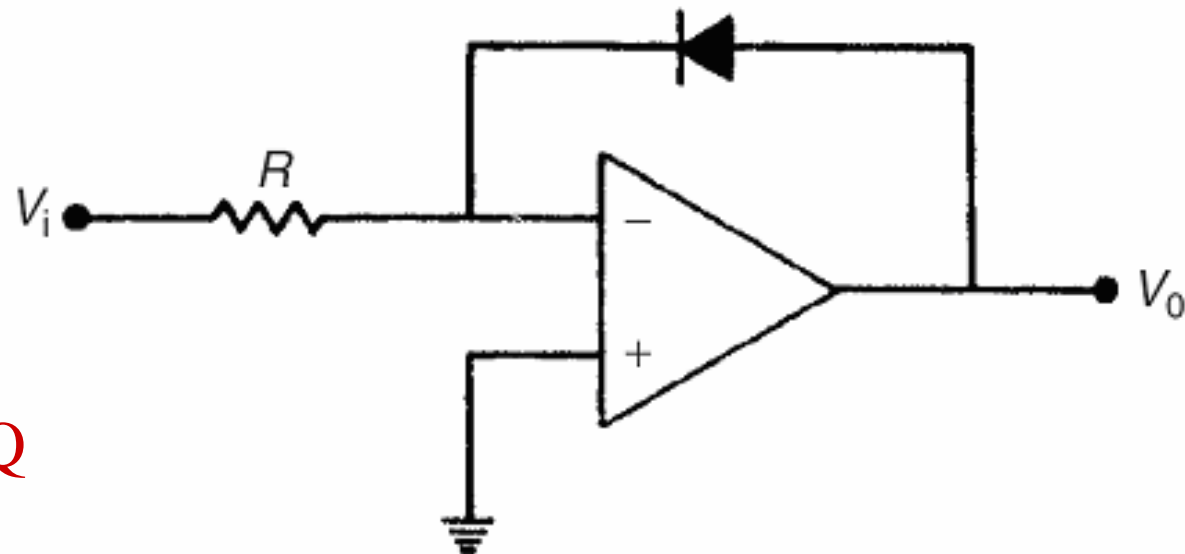
Potentiometer in voltage-dividing circuit

Signal Linearization

$$V_{o,\text{sensor}} = K e^{-\alpha Q}$$

$$V_o = C \ln(V_i)$$

$$V_o = C \ln(K) - \alpha C Q$$



Op-amp connected for signal linearization

Bias (Zero Drift) Removal

Bias

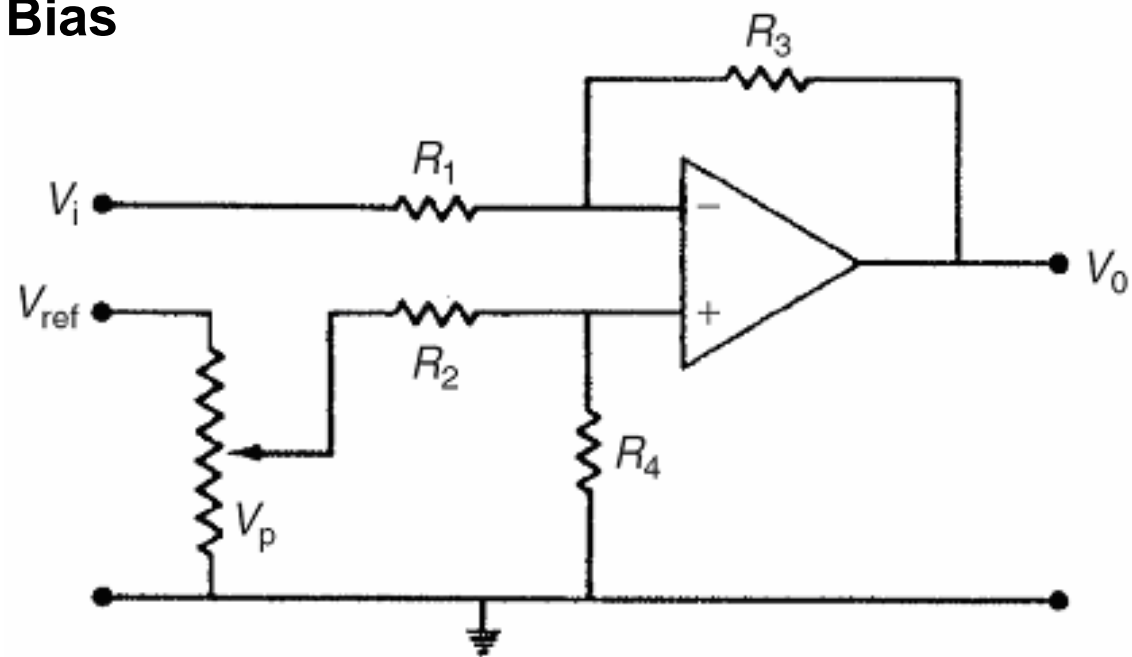
$$y = Kx + C$$

$$V_o = \frac{R_3}{R_1} (V_p - V_i)$$



$$y = K'x$$

$$K' = -K (R_3/R_1)$$



Bias removal circuit

